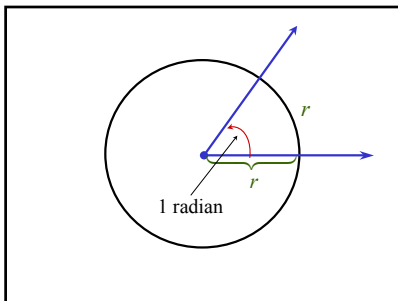


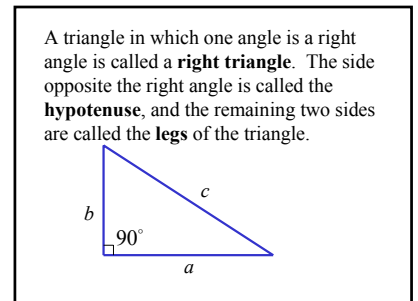
Consider a circle of radius r . Construct an angle whose vertex is at the center of this circle, called the **central angle**, and whose rays subtend an arc on the circle whose length is r . The measure of such an angle is **1 radian**.

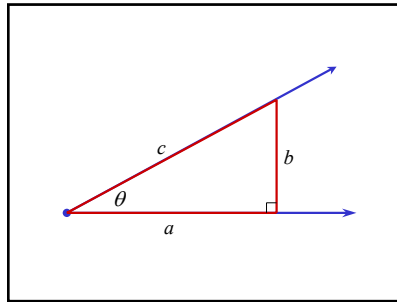
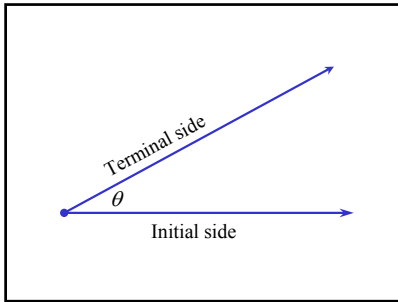


Theorem Arc Length

For a circle of radius r , a central angle of θ radians subtends an arc whose length s is

$$s = r\theta$$

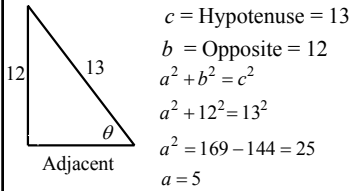




The six ratios of a right triangle are called **trigonometric functions of acute angles** and are defined as follows:

Function name	Abbreviation	Value
sine of θ	$\sin \theta$	b/c
cosine of θ	$\cos \theta$	a/c
tangent of θ	$\tan \theta$	b/a
cosecant of θ	$\csc \theta$	c/b
secant of θ	$\sec \theta$	c/a
cotangent of θ	$\cot \theta$	a/b

Find the value of each of the six trigonometric functions of the angle θ .

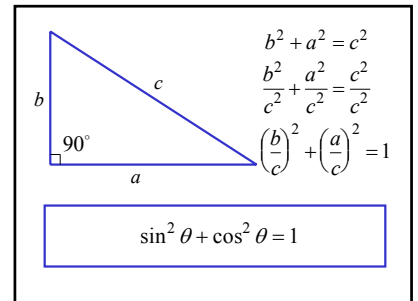


$a = \text{Adjacent} = 5$
 $b = \text{Opposite} = 12$
 $c = \text{Hypotenuse} = 13$

$$\sin \theta = \frac{\text{Opposite}}{\text{Hypotenuse}} = \frac{12}{13} \quad \csc \theta = \frac{\text{Hypotenuse}}{\text{Opposite}} = \frac{13}{12}$$

$$\cos \theta = \frac{\text{Adjacent}}{\text{Hypotenuse}} = \frac{5}{13} \quad \sec \theta = \frac{\text{Hypotenuse}}{\text{Adjacent}} = \frac{13}{5}$$

$$\tan \theta = \frac{\text{Opposite}}{\text{Adjacent}} = \frac{12}{5} \quad \cot \theta = \frac{\text{Adjacent}}{\text{Opposite}} = \frac{5}{12}$$



Theorem Complementary Angles Theorem

Cofunctions of complementary angles are equal.